# EVOLUTION OF SURVIVAL AT OLD AGES DURING THE 20 ${ }^{\text {TH }}$ CENTURY IN EMILIA ROMAGNA 

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## 1. INTRODUCTION AND BACKGROUND

In the period from $1871^{1}$ to 2007 , Italian mortality profiles by sex and age changed substantially at both regional and sub-regional levels. The study of this evolution describes the different phases and the nature of the epidemiological transition that took place during the course of the one hundred and thirty years period under study, which was characterised by a gain in the mean duration of life of about 47 years, and a rise in life expectancy at birth from 32.7 to 80.1 years for both sexes.

The Italian mortality transition and the reduction in the mortality rates at all ages have been studied in depth by various researchers (Pozzi, 2000; Caselli, 1990, 2007): the evolution of sex and age mortality schedules, as well as the differences at the national and regional level, have been described and related to changes in the incidence of the different causes of death. The rapid, clear fall in mortality was associated with profound changes in the prevailing patterns of disease and morbidity.

Within this framework, the role of the fall in infant and youth mortality, especially in the first stage of the mortality transition, is crucial and has often drawn the attention of specialists through the analysis of the trends and the main causes affecting the lower half of the age range. Although the greatest gains in life expectancy have been mainly due to such specific age groups since the mid-1980s, it is clear that the occurrence of death has been postponed to older ages as the risks of dying at an earlier age fell dramatically (Caselli and Capocaccia, 1989). By the 1970s, the decline in mortality rates had already been extended to all ages, while the fall in the risk of dying at an older age had not bottomed out. Besides, the changes in adult and old age mortality patterns showed some considerable geographical variability, as it had been observed before for survival at earlier ages, thus justifying the specific interest in a sub-national level research approach (Caselli and Lipsi, 2006).

[^0]In this paper we focus on the explanation and description of the long trend survival and mortality in Emilia-Romagna region. We present some partial results of elderly male and female survival patterns over the last one hundred and thirty years, including a comparison with the situation in Italy as a whole.

Starting from the fact that as things stand, mortality is concentrated at older ages, we also study the evolution of modal age at death. Indeed, this indicator provides an appealing perspective from which the shifting and compression mortality hypotheses can be investigated (Fries, 1980; Myers and Manton, 1984; Kannisto, 1996; Bongaarts, 2005; Robine et al., 2008).

These initial results constitute a pivotal part of a broader research project aiming at exploring the mechanisms underpinning the long-term transition in adult and elderly survival, from the first phase of the demographic transition to the present day ${ }^{2}$. A further specific aim of our work is to fill in the gap in the historical long trend analysis due mainly to the different ways mortality and population data are collected.

The great amount of available information, concerning both mortality and causes of death after 1950s, often contrasts with the lack of in-depth studies related to the more recent or distant past. This situation can prevent scholars from having a long-trend vision of the prevailing changes.

Emilia Romagna, a region in North-East Italy, is an appropriate choice for studying adult and elderly mortality profiles. Indeed, over the last decade it has boasted one of the oldest regional age structures in Europe (with $22.6 \%$ of people aged $65+$, and $6.8 \%$ aged $80+$ in 2008 , from a total population of $4,275,802$ ). Since the 1970 s, the absolute numbers of elderly have been continuously increasing, while adult and elderly mortality rates have been falling (along different paths and at different speeds for men and women) more than anywhere else in Italy. These trends call for explanations, especially in terms of the analysis of geographical variations within the region according to the structure and the prevalence of causes of death. This aspect can also be related to the increase in population longevity and the characteristics thereof.

The paper is structured as follows. The second section introduces the reader to the data and the methods employed to estimate life tables and the main indicators of survival. The third section describes the long trend evolution of survival pattern in Emilia Romagna, from 1871 to 2007. The fourth section underlines the differences between men and women survival, and the different weights of age spans in the rise in life expentancy at birth. The fifth section examines the changes in the modal age at death and in the concentration of deaths around the mode. Finally, the last section offers a discussion of our findings together with our conclusions.

[^1]
## 2. DATA AND METHODS

### 2.1. Description of raw data

The mortality and population data used in this study were taken from official statistics published by ISTAT (The Italian National Statistics Institute) and by the Statistics Department of Emilia-Romagna.

The data firstly consist of the number of deaths, by sex and age, per calendar year around the dates of the various population censuses conducted between 1871 and 20013. For the year 2007, data are provided by the Emilia Romagna region's Statistics Department. The availability of detailed death counts changes over the course of the period in question. From 1930 on, all deaths are classified according to single year of age of the deceased; in previous years, however, only 5-year age group classifications are available. Centenarian deaths are only tabulated in detail from 1950 onwards. In 1901 they are nested into the last open age interval of $90+$. Otherwise, the deaths at age 100 and over are given as a lump sum.

Furthermore, census results for the present population, by sex and age, are also considered. The age classification of the population, as published by official agencies, changed during the census years. In 1871 and 1931 all individuals are classified by single year of age up to age 99 . From 1881 to 1921 , only population data classified according to 5 -year age groups are available up to the last open interval, which is of $90+$ in 1901 and 100+, otherwise. In 1936 and 1951, one part of the elderly ages are collapsed into 5-year age groups (from age 75 and over in 1936 and from age 80 in 1951). Finally, from 1961 on, all individuals have been classified by single year of age (up to age 109 in the last two censuses and up to age 99, otherwise). In all cases, except for the 1901, 1991 and 2001 censuses, centenarians are given as a single figure regardless of their individual ages. For ages from 0 to 4, both death and population counts are always provided by single year of age. Moreover, data on deaths and population have been collected for the year 2007 in order to provide an analysis of mortality evolution until recently.

TABLE 1
Number of deaths and present population by available age classification (1871-2007)

| Years | Deaths | Population |
| :---: | :---: | :---: |
| 1871 | 5-year age groups from age 5 up to 100+ | single year of age up to 100+ |
| 1881 | 5 -year age groups from age 5 up to 100+ | 5-year age groups from age 10 up to 100+ |
| 1901 | 5 -year age groups from age 5 up to $90+$ | 5 -year age groups from age 5 up to 90+ |
| 1911 | 5 -year age groups from age 5 up to 100+ | 5 -year age groups from age 15 up to 100+ |
| 1921 | 5 -year age groups from age 5 up to 100+ | 5 -year age groups from age 20 up to 100+ |
| 1931 | single year of age up to 100+ | single year of age up to 100+ |
| 1936 | single year of age up to 100+ | 5 -year age groups from age 75 up to 100+ |
| 1951 | single year of age up to 103 | 5 -year age groups from age 80 up to 100+ |
| 1961 | single year of age up to 107 | single year of age up to 100+ |
| 1971 | single year of age up to 109 | single year of age up to 100+ |
| 1981 | single year of age up to 108 | single year of age up to 100+ |
| 1991 | single year of age up to 111 | single year of age up to 109 |
| 2001 | single year of age up to 114 | single year of age up to 109 |
| 2007 | single year of age up to 110 | single year of age up to 110 |

[^2]Table 1 summarizes the nature of available figures for the number of deaths and for the population's age classification for each year taken into consideration.

### 2.2. Computing period life tables

The first problem we tackle in order to compute complete period life tables is that of splitting grouped data into more specific age categories, namely the single year of age, whenever this is necessary. The spline method is applied to split 5year age grouped observations for all ages below the last open age interval. In particular, we consider a cubic spline on the cumulative number of deaths or individuals, in the following form (McNeil et al., 1977; Wilmoth et al., 2007):

$$
\begin{equation*}
Y_{x}=\alpha_{0}+\alpha_{1} x+\alpha_{2} x^{2}+\alpha_{3} x^{3}+\sum_{i=1}^{n} \beta_{i}\left(x-k_{i}\right)^{3} I\left(x \geq k_{i}\right) \tag{1}
\end{equation*}
$$

where $Y_{x}$ denotes the cumulative number of death or individuals within year $t$ up to age $x ; \alpha_{0}, \alpha_{1}, \alpha_{2}, \alpha_{3}, \beta_{1}, \beta_{2}, \ldots, \beta_{n}$ are the $n+4$ parameters that must be estimated; $I(\cdot)$ is an indicator function which equals one if the logical statement within brackets is true, or zero if it is false; $k_{1}, k_{2}, \ldots, k_{n}$ are commonly named $k$ nots and are those values of age $x$ for which $Y_{x}$ is known from the data. Actually, this interpolation method requires that $k_{1}=1$ and $k_{2}=5$, that is, deaths and population counts for the first year of life and for the first five years of life must be known from the data. Other than these two restrictions, it does not matter whether the data are strictly classified in five-year age groups (after age 5), or in some other way. Moreover, there can be an open age interval above 90, 100, or some other age. Finally, $k_{n}$ equals the lower limit of the last open age interval, and there are no restrictions on this limit. The lower and upper boundaries are denoted by $a$ and $b$, respectively, and we always have $a=0$ and $b=\omega$, where $\omega$ is set arbitrarily to the maximum age of $k_{n}+5$.

In order to estimate the coefficients involved in the spline function, we need two constraints specifying two additional equations. In the present case, at the upper boundary the slope, i.e. the first derivative, is constrained to zero for both death and population numbers. This is in keeping with the usual tapering of the distribution of deaths and individuals at the oldest ages: there are no survivors and, as a consequence, no deaths at the maximum age $\omega$. Then, since for ages from 0 to 4 we always have both death and population counts by single year of age, we also constrain the slope of the function at age 1 to equal deaths or, analogously, individuals aged 1. These two restrictions are shown to provide good estimates and in particular they avoid the drawback of having negative death or population counts along the age $x$-axis.

As a consequence, fitting the cubic spline function consists in solving a system of $n+4$ linear equations in $n+4$ unknown parameters that have to be estimated. Then, the estimated equation (1) serves to find the series of fitted values $\hat{Y}_{x}$ and, by distinguishing two successive values, to obtain death and individual counts by single year of age (for more details see Roli, 2008).

Another problem concerns the estimation of old age mortality, when the randomness of mortality process is noticeable and the variations of the numerator and the denominator in the specific death rates produce strong fluctuations in the estimates. In such cases, death rates are usually smoothed by fitting a mathematical function in order to obtain an improved representation of the underlying mortality profile. In this way, account is taken of both the small number of deaths and individuals at risk, and any loss of data quality which may occur at higher ages, especially in the past ${ }^{4}$ (Thatcher, 1992). The mortality model considered here is the logistic function of the force of mortality in relation to age $x, \mu_{x}$, proposed by Kannisto and his fellow scholars (Kannisto et al., 1994). Starting from the most general logistic model, which depends on four parameters, they firstly showed that this general model is not very useful in practice, since a simpler version with only three parameters is more robust (Thatcher et al., 1998; Thatcher, 1999):

$$
\begin{equation*}
\mu_{x}=\frac{\alpha \cdot \exp (\beta x)}{1+\alpha \cdot \exp (\beta x)}+\delta \tag{2}
\end{equation*}
$$

Secondly, at high ages in historical periods and at almost all ages today, the parameter $\delta$ is small compared to $\alpha \cdot \exp (\beta x) /[1+\alpha \cdot \exp (\beta x)]$. Indeed, Thatcher (1999) observed a substantial fall in the values of $\delta$ during the long-historical period, with it becoming very small in recent years. This pattern of $\delta$ actually reflects the gradual elimination of infectious diseases, which were a major cause of child and adult deaths, but were negligible at high ages. As a consequence, the relevant formula for the old mortality model proposed by Kannisto et al. (1994) can be simply expressed as

$$
\begin{equation*}
\mu_{x}=\frac{\alpha \cdot \exp (\beta x)}{1+\alpha \cdot \exp (\beta x)} \tag{3}
\end{equation*}
$$

The basic idea common to both these models is that the relative increase in the force of mortality decreases at old ages (generally from 75-80 years of age on), instead of being constant as in Gompertz's law of mortality (Gompertz, 1825). Indeed, one can show that the relative mortality increase by advancing age, usually measured by a rate parameter, $k(x)$ and named life-table aging rate (Horiuchi and Coale, 1990), is defined by Horiuchi and Cole as the relative derivative of $\mu_{x}$,

$$
\begin{equation*}
k_{x}=\frac{d \mu_{x} / d x}{\mu_{x}}=\frac{d \ln \left(\mu_{x}\right)}{d x} \tag{4}
\end{equation*}
$$

For the Kannisto model, $k(x)$ equals $\beta\left(1-\mu_{x}\right)$, that is, it corresponds to $\beta$ at lower ages when the force of mortality $\mu_{x}$ is small, before tending towards zero as age increases (Kannisto, 1996).

[^3]In this paper, the life-table aging rate is used in order to choose the fitting age range to be considered for the estimation of the mortality model parameters. In particular, since measuring $k(x)$ accurately is not easy, as there are fluctuations in $\mu_{x}$ especially at high ages, we consider 5 -year age groups and the estimation of aging rates as proposed by Horiuchi and Coale (1990) and Horiuchi and Wilmoth (1998):

$$
\begin{equation*}
\hat{k}(x)=\frac{\ln \left(m_{x, x+5}\right)-\ln \left(m_{x-5, x}\right)}{5} \tag{5}
\end{equation*}
$$

where $m_{x, x+5}$ and $m_{x-5, x}$ are successive 5 -year age groups' death rates. Then, the corresponding standard error can be approximated by

$$
\begin{equation*}
\hat{\sigma}_{\hat{k}(x)}=\frac{1}{5} \sqrt{\frac{1}{D_{x, x+5}}+\frac{1}{D_{x-5, x}}} \tag{6}
\end{equation*}
$$

where $D_{x, x+5}$ and $D_{x-5, x}$ are the number of deaths in the age intervals from $x$ to $x+5$ and from $x-5$ to $x$, respectively.

As Table 2 shows, the estimate of $k(x)$ starts to decrease at different ages, varying from 70 to 95 . This critical age seems to gradually increase over the period in question: after the end of the Second World War it always exceeds, or at least equals, 85 years of age, while in less recent years it reaches lower values, up to the minimum of 70 years of age in 1881 .

These findings led us to fit Kannisto's mortality model (3) to an age range from 70 years to the maximum age available from the data (or from the splitting procedure) for the calendar years from 1901 to 2007. On the other hand, for the nineteenth-century data we adopt Thatcher's model (2), which enables us to consider an earlier fitting age range starting from 30 years of age, and as a consequence, allows us to control for the above-mentioned small number and the lesser accuracy of data.

TABLE 2
Estimates of $k_{( }(x)$ (95\% CI) in the period 1871-2007

| Males | 1871 |  |  | 1881 |  |  | 1901 |  |  | 1911 |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| k(60) | 0.081 | (0.066 - | 0.097) | 0.079 | (0.064 - | 0.094) | 0.099 | (0.083 - | 0.114) | 0.090 | (0.074 - | 0.106) |
| $\mathrm{k}(65)$ | 0.081 | (0.067 - | 0.095) | 0.100 | (0.086 - | 0.114) | 0.102 | (0.089 - | 0.116) | 0.093 | (0.079 - | 0.106) |
| $\mathrm{k}(70)$ | 0.072 | (0.058 - | 0.086) | 0.089 | (0.076- | 0.103) | 0.108 | (0.096 - | 0.121) | 0.112 | (0.100 - | 0.124) |
| $\mathrm{k}(75)$ | 0.086 | (0.071 - | 0.102) | 0.064 | (0.049 - | 0.079) | 0.091 | (0.078 - | 0.1039 | 0.105 | (0.093- | 0.117) |
| k (80) | 0.102 | (0.084 - | 0.120) | 0.057 | (0.039 - | 0.075) | 0.082 | (0.068 - | 0.097) | 0.082 | (0.068 - | 0.096) |
| k (85) | 0.027 | (0.000 - | 0.054) | 0.038 | (0.010 - | 0.066) | 0.080 | (0.056 - | 0.104) | 0.073 | (0.052 - | 0.095) |
| $\mathrm{k}(90)$ | -0.070 | (-0.134 - | -0.006) | - |  |  | 0.048 | (0.002 - | 0.094) | 0.014 | (-0.031- | 0.060) |
| k (95) | 0.129 | (0.001 - | 0.258) | - |  |  | - |  |  | 0.019 | (-0.147- | 0.185) |
| Females |  | 1871 |  |  | 1881 |  |  | 1901 |  |  | 1911 |  |
| $\mathrm{k}(60)$ | 0.087 | (0.070 - | 0.103) | 0.083 | (0.067 - | 0.099) | 0.100 | (0.083- | 0.116) | 0.100 | (0.082 - | 0.118) |
| $\mathrm{k}(65)$ | 0.089 | (0.074 - | 0.105) | 0.106 | (0.091 - | 0.120) | 0.103 | (0.089 - | 0.117) | 0.107 | (0.092- | 0.121) |
| $\mathrm{k}(70)$ | 0.078 | (0.063 - | 0.093) | 0.094 | (0.080 - | 0.108) | 0.109 | (0.096 - | 0.122) | 0.107 | (0.093 - | 0.120) |
| $k$ (75) | 0.081 | (0.065 - | 0.097) | 0.069 | (0.053 - | 0.084) | 0.090 | (0.077 - | 0.103) | 0.097 | (0.084 - | 0.110) |
| k (80) | 0.088 | (0.068 - | 0.1079 | 0.061 | (0.042- | 0.080) | 0.076 | (0.060 - | 0.091) | 0.095 | (0.080 - | 0.109) |
| $\mathrm{k}(85)$ | 0.022 | (-0.007 - | 0.050) | 0.034 | (0.005 - | 0.063) | 0.065 | (0.041 - | 0.089) | 0.057 | (0.036 - | 0.078) |
| $\mathrm{k}(90)$ | -0.051 | (-0.114 - | 0.011) | - |  |  | 0.029 | (-0.014 - | 0.072) | 0.065 | (0.024 - | 0.106) |
| $\mathrm{k}(95)$ | 0.079 | (-0.045- | 0.203) | - |  |  | - |  |  | -0.034 | (-0.152- | 0.085) |

TABLE 2
Estimates of $k(x)$ (95\% CI) in the period 1871-2007 (continued)

| Males | 1921 |  | 1931 |  |  | 1936 |  |  | 1951 |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| k(60) | 0.098 | (0.083-0.113) | 0.084 | (0.068 - | 0.099) | 0.086 | (0.070 | 0.101) | 0.076 | (0.060 | 0.091) |
| k(65) | 0.094 | (0.080-0.107) | 0.096 | (0.082- | 0.109) | 0.094 | (0.080 | 0.107) | 0.093 | (0.079 - | 0.106) |
| $\mathrm{k}(70)$ | 0.106 | (0.094-0.118) | 0.091 | (0.079 - | 0.103) | 0.096 | (0.084 | 0.108) | 0.111 | (0.099 | 0.123) |
| k (75) | 0.095 | (0.084-0.107) | 0.102 | (0.090 - | 0.114) | 0.101 | (0.090 | 0.112) | 0.101 | (0.090 | 0.113) |
| k (80) | 0.102 | (0.089-0.116) | 0.089 | (0.076- | 0.103) | 0.097 | (0.084 | 0.109) | 0.104 | (0.092 | 0.115) |
| k(85) | 0.063 | (0.043-0.083) | 0.078 | (0.059 - | 0.097) | 0.073 | (0.056 | 0.091) | 0.088 | (0.074 | 0.103) |
| k (90) | 0.051 | (0.012-0.090) | 0.050 | (0.010 - | 0.091) | 0.069 | (0.035 | 0.104) | 0.063 | (0.037- | 0.090) |
| k(95) | 0.000 | (-0.116-0.116) | 0.099 | (-0.031- | 0.229) | 0.080 | (-0.018 | 0.179) | -0.010 | (-0.093 - | 0.072) |
| Females | 1921 |  | 1931 |  |  | 1936 |  |  | 1951 |  |  |
| k(60) | 0.097 | (0.079-0.114) | . 083 | (0.065- | 0.102) | 0.090 | (0.072 | 0.108) | 0.085 | (0.066 | 0.103) |
| k(65) | 0.118 | (0.103-0.133) | 0.103 | (0.088 - | 0.119) | 0.099 | (0.084 | 0.115) | 0.123 | (0.107 | 0.139) |
| $\mathrm{k}(70)$ | 0.106 | (0.093-0.119) | 0.113 | (0.100 - | 0.126) | 0.109 | (0.096 | 0.122) | 0.119 | (0.105 | 0.132) |
| k (75) | 0.103 | (0.091-0.116) | 0.106 | (0.093 - | 0.118) | 0.102 | (0.090 | 0.113) | 0.117 | (0.105 | 0.129) |
| k(80) | 0.088 | (0.074-0.102) | 0.090 | (0.077- | 0.103) | 0.097 | (0.084 | 0.110) | 0.099 | (0.087 | $0.111)$ |
| k(85) | 0.062 | (0.043-0.081) | 0.089 | (0.071 - | 0.106) | 0.086 | (0.069 | 0.102) | 0.087 | (0.074 | $0.101)$ |
| k(90) | 0.047 | (0.011-0.083) | 0.064 | (0.029 - | 0.099) | 0.076 | (0.048 | $0.104)$ | 0.082 | (0.060 | $0.104)$ |
| k(95) | 0.002 | $(-0.078-0.082)$ | 0.044 | (-0.047- | 0.135) | 0.099 | (0.026 | 0.172) | 0.028 | (-0.024 - | 0.079) |
| Males | 1961 |  | 1971 |  |  | 1981 |  |  | 1991 |  |  |
| k(60) | 0.086 | (0.072-0.100) | 0.095 | (0.082- | 0.108) | . 085 | (0.072 | 0.099) | 0.10 | (0.089 | 0.119) |
| k(65) | 0.085 | (0.073-0.098) | 0.087 | (0.077- | 0.098) | 0.084 | (0.073 | 0.096) | 0.091 | (0.079 | 0.103) |
| $\mathrm{k}(70)$ | 0.088 | (0.077-0.100) | 0.095 | (0.084 - | 0.105) | 0.096 | (0.087 | 0.106) | 0.078 | (0.067- | 0.088) |
| k(75) | 0.090 | (0.079-0.100) | 0.096 | (0.086 - | 0.106) | 0.099 | (0.090 | 0.108) | 0.102 | (0.092 | 0.112) |
| k(80) | 0.108 | (0.096-0.119) | 0.079 | (0.069 - | 0.090) | 0.092 | (0.082 | 0.101) | 0.094 | (0.085 | 0.102) |
| k(85) | 0.074 | (0.060-0.088) | 0.090 | (0.077- | 0.102) | 0.085 | (0.073 | 0.097) | 0.095 | (0.085 | 0.105) |
| k(90) | 0.075 | (0.051-0.098) | 0.069 | (0.049 - | 0.089) | 0.080 | (0.062 | 0.097) | 0.101 | (0.085 - | $0.116)$ |
| k(95) | -0.019 | (-0.074-0.036) | -0.042 | (-0.089 - | 0.004) | 0.064 | (0.027 | 0.102) | 0.070 | (0.040 | 0.099) |
| Females | 1961 |  | 1971 |  |  | 1981 |  |  | 1991 |  |  |
| k (60) | 0.095 | (0.076-0.114) | 0.087 | (0.069 - | 0.104) | 0.100 | (0.081 | 0.120) | 0.089 | (0.068 | 0.110) |
| k(65) | 0.116 | (0.100-0.132) | 0.097 | (0.082 - | 0.112) | 0.088 | (0.071 | 0.104) | 0.090 | (0.073 | $0.106)$ |
| k(70) | 0.115 | (0.102-0.128) | 0.123 | (0.111 - | 0.136) | 0.118 | (0.106 | 0.131) | 0.104 | (0.090 | 0.118) |
| k(75) | 0.115 | (0.104-0.126) | 0.129 | (0.118 - | 0.139) | 0.131 | (0.121 | 0.142) | 0.126 | (0.114 | 0.138) |
| k(80) | 0.114 | (0.103-0.125) | 0.119 | (0.109 - | 0.128) | 0.125 | (0.116 | 0.135) | 0.124 | (0.115 | $0.133)$ |
| k(85) | 0.085 | (0.072-0.098) | 0.097 | (0.086 - | 0.107) | 0.111 | (0.101 | 0.120) | 0.130 | (0.121 | 0.138) |
| k(90) | 0.080 | (0.061-0.099) | 0.086 | (0.070 - | 0.101) | 0.100 | (0.088 | $0.112)$ | 0.117 | (0.107- | $0.127)$ |
| k(95) | 0.047 | (0.008-0.087) | 0.035 | (0.003- | 0.068) | 0.063 | (0.039 | 0.087) | 0.081 | (0.064 - | $0.098)$ |
|  | Males |  |  |  |  | Females |  |  |  |  |  |
|  | 2001 |  | 2007 |  |  | 2001 |  |  | 2007 |  |  |
| k(60) | 0.087 | (0.070-0.104) | 0.106 | (0.087- | 0.125) | 0.062 | (0.038 | 0.085) | 0.082 | (0.057- | 0.107) |
| k(65) | 0.102 | (0.088-0.116) | 0.089 | (0.073- | 0.104) | 0.094 | (0.074 | 0.113) | 0.098 | (0.077 - | 0.118) |
| k(70) | 0.102 | (0.091-0.113) | 0.106 | (0.093- | 0.118) | 0.112 | (0.096 | 0.127) | 0.094 | (0.078 - | 0.110) |
| k(75) | 0.105 | (0.096-0.115) | 0.114 | (0.104 - | 0.125) | 0.124 | (0.113 | 0.136) | 0.125 | (0.112 | 0.138) |
| k(80) | 0.091 | (0.081-0.100) | 0.117 | (0.108 - | 0.126) | 0.119 | (0.109 | 0.129) | 0.140 | (0.130- | 0.149) |
| k(85) | 0.115 | (0.106-0.125) | 0.099 | (0.089 - | 0.108) | 0.143 | (0.135 | 0.152) | 0.130 | (0.122- | 0.139) |
| k(90) | 0.084 | (0.073-0.096) | 0.112 | (0.101 - | 0.123) | 0.107 | (0.099 | 0.115) | 0.130 | (0.122 - | 0.138) |
| k(95) | 0.073 | (0.051 - 0.095) | 0.086 | (0.069 - | 0.104) | 0.102 | (0.089 | 0.114) | 0.103 | (0.093 - | 0.113) |

Once the series of the fitted death rates have replaced the observed ones at high ages, and they have been estrapolated up to 120 years of age, they can be employed to arrange complete period life tables, both separate by gender and mixed.

## 3. RESULTS

### 3.1. Long period evolution of survival

Figure 1 shows the evolution of life expectancy at birth and at certain adult and old ages ${ }^{5}$, in Emilia Romagna and Italy, during the period 1871-2007. The comparison between regional and national values, in terms of life expectancy at birth, shows a similar pattern for both genders for the years before 1901 and after 1971. In the long period between these two years, a better overall degree of survival is witnessed in the region than in the country as a whole. This fact can be explained by the sistematically lower regional infant and child mortality levels than the national ones. It seems that before and after mortality transition Emilia Romagna and Italy shared the same overall survival level, while during the transitional phase the region singularly anticipated the overall decline in mortality. With respect to elderly people, regional and national survival trends are quite different.

Regional and national life expectancies display similar trends for all adult and old ages, particularly from the beginning of the $20^{\text {th }}$ century onwards. Emilia Romagna was at a disadvantage compared to Italy during the early decades, showing lower values at all ages because of the worse living conditions in Italian northern regions (Bellettini, 1980; Del Panta, 1984; Caselli and Egidi, 1980). As time went by, survival improved faster in the region than in the nation, and Emilia Romagna life expectancies rose above those for Italy as a whole from 1931 on for women, and from 1981 on for men. In other words, both men and women in Emilia Romagna have achieved better standards of living than in Italy as a whole, although women did so nearly fifty years earlier than men. The evolution of life expectancies at the end of the $19^{\text {th }}$ century shows a peculiar profile not only for Emilia Romagna but for Italy too: at first there was an appreciable increase in survival for people aged 80-89, but this was followed by a clear decline. This particular aspect has encouraged a more in-depth analysis, in order to understand whether the observed evolution really reflects a particular survival pattern during those years, or whether it was partly due to the widely acknowledged misreporting of deaths and/or population figures during that historical period. The results obtained are described in a forthcoming paper ${ }^{6}$.

The profound changes in the evolution of survival can be seen in Figure 2, where the distribution of life table survivors $\left(l_{x,}\right)$ is shown by gender for the years prior to the beginning of transition (1871), almost at the beginning thereof (1921), nearly at the end (1951) and in the post-transitional phase (2007).

[^4]

Figure 1 - Life expectancy at various ages - Emilia Romagna and Italy (1871-2007).

High levels of infant mortality shape the 1871 and 1921 curves, and still appear in 1951, while in 2007 the rectangularization of the survivors curve is clearly visible. Gender differences are noticeable from 1921 on, and become more evident in 1951 and, above all, in 2007.


Figure 2 - Survivors $l_{x}$ by gender in 1871, 1921, 1951 and 2007.

TABLE 3
Median age at death and survivors at 65, 75, 85, 95 years by gender

|  |  | $\mathbf{1 8 7 1}$ | $\mathbf{1 9 2 1}$ | $\mathbf{1 9 5 1}$ | $\mathbf{2 0 0 7}$ |
| :--- | :--- | ---: | ---: | ---: | ---: |
| Median age | M | 18.34 | 63.76 | 72.39 | 82.20 |
|  | F | 21.38 | 66.46 | 76.14 | 87.20 |
|  | M | 21812 | 47861 | 67695 | 87922 |
|  | F | 21776 | 52540 | 77084 | 93050 |
| $\mathbf{I}_{75}$ | M | 10005 | 24999 | 41796 | 72254 |
|  | F | 9792 | 29637 | 53930 | 84140 |
| $\mathbf{I}_{\mathbf{8 5}}$ |  |  |  |  |  |
|  | M | 1699 | 4332 | 10200 | 38884 |
| $\mathbf{I}_{\mathbf{5 5}}$ | F | 1782 | 6503 | 17838 | 59195 |
|  |  |  |  |  |  |
|  | M | 50 | 83 | 263 | 5886 |
|  | F | 77 | 229 | 937 | 14946 |

The progressive postponement of death to higher ages is also evident from the substantial rise in both median age and survival at elderly ages (Table 3). One half of the whole fictitious cohort had already died at the age of 18 years (males) or 21 (females) in 1871, whereas the same happened at 82 and 87 years, respectively, in 2007. Great changes in elderly survival are appreciable after the Second World War, and particularly nowadays: nearly $10 \%$ out of 100,000 newborns died before 65 years of age (both genders), while $39 \%$ and $59 \%$ (male and female respectively) were still alive at the age of 85 .

The analysis of life expectancy trends in Emilia Romagna shows that there are no particular signs either of gender differences or of any increase in residual life for people aged 60 years or over, until the initial years of the $20^{\text {th }}$ century (see Figure 3). On the contrary, octogenarians and nonagenarians experienced a reduction in life expectancy at the beginning of the last century.


Figure 3 - Life expectancy at 60, 70, 80 and 90 years by gender (1871-2007).

Later, towards the end of the First World War, residual life and gender differentials started to increase, slowly at first and then at a faster pace from 1951 on (see Figure 4).


Figure 4 - Life expectancy at birth, differential by gender (F-M).
The rise in life expectancy was first witnessed for "younger" ages (60 and 70 years) and for women. In the latter case, life gains remained rather steady for all ages over the course of time, and they became more relevant from 1981 on, due to the adoption of healthier life styles, the spread of disease prevention, and improvements in the early diagnosis of illnesses (Lipsi and Caselli, 2002; De Simoni and Lipsi, 2005). As far as males are concerned, the pace of growth was slower and only caught up with that of females at the beginning of the 1980s. A reduction in gender differentials, particularly for $e_{60}$, emerges from that period on. This fact is probably due to the growing similarity in male and female life styles as a consequence of women's increased participation in the labour market together with their greater use of alcohol and tobacco, on the one hand, and of the adoption of healthier life styles for men, on the other hand.

### 3.2. Measuring the contribution of age to the rise in survival

Further evidence of the increasing importance of old age to the upward trend in survival can be obtained by decomposing the difference in life expectancy at
birth between time $t_{1}$ and $t_{2}$ according to the contribution due to the different age spans ${ }^{7}$.

The analysis is performed for each gender separately, and the measures are expressed both as fractions of years of life and as percentage contributions. If $e_{0}$ displays an upward trend, positive values in Figure 5 reflect the positive contribution to the difference in life expectancy between times $t_{1}$ and $t_{2}$, due to the decline in mortality of the different age groups. Conversely, negative values on the graphs underline a decline in survival for the age groups they belong to.


Figure 5 - Percentage contributions of different age groups to the increase in life expectancy for men and women in different time periods.

So far, reference has constantly been made to life expectancy at birth rather than to life expectancy at other adult or old ages, in order to evaluate increases in survival over time. Indeed, in the long run the tried-and-tested substantial variations in $e_{0}$ synthesize the strong changes in the structure of mortality, by sex and age, that Emilia-Romagna region, like all other Italian areas, has experienced between the last decades of the nineteenth century and the present day. These changes are undoubtedly related to three distinct phases in the decline of mortality: (a) a consistent rise in the number of years lived, due to increasing infant and child survival, until the Second World War; (b) a subsequent and continuous increase in the numbers of years lived, linked to adult lifespans up until the 1960s'70s; (c) an unespected positive contribution in survival from old people, of 65 years of age and above, that began in the 1980s.

A number of substantial gender differences emerge during the course of this long period of evolution. After the Second World War, female gains come earlier and are more substantial than those for men. The contribution of the 65 and

[^5]above age group to the difference in life expectancy at birth amounts to 0.1 of a year in 1881-1901 with a total gain of more than than 8 years in $e_{0}$; it remains stable at about 1 year until 1950, and subsequently rises to 2 years (out of a total gain of 5.4) in 1951-1971, 2.6 in 1971-1991, and 2.2 (out of 3.6 years) in 1991-2007.

In the case of males, it is possible to discern a slower trend in the rise in survival, and the total gain in terms of years is not yet comparable to that of women, although during the last decade the male gain in $e_{0}$ has been greater than that of its female counterpart.

Figure 6 shows the contributions of the various age groups to the differences in life expectancy at birth between women and men for the four periods that represent the several phases in the long trend evolution of mortality profiles.

It is noteworthy that in historical periods (that of 1881 and to a lesser extent that of 1901) when the difference in $e_{0}$ between genders was practically negligible, the female disadvantage in terms of survival was mainly discernable in the youngest and reproductive age groups.


Figure 6 - Contributions (in fraction of years) of the different age groups to the male-female difference in life expectancy at birth.

From 1921 onwards, the advantage of women over men was increasingly appreciable. Positive contributions confirm that the gender gap is largely due to the adult and old-age groups.

### 3.3. The evolution of longevity

As shown in the previous subsection, the on-going transition in mortality is characterized by considerable changes in survival patterns. So far these changes have been measured by such indicators as life expectancy at different ages, probabilities of death and of survival, and age-specific death rates. All these variables are suitable measures of survival conditions; however, as far as ageing is concerned, they have the disadvantage of requiring the arbitrary selection of age limits.

Life expectancy at birth is without any doubt one of the best indicators both of infant and overall survival, although it loses its effectiveness when the question is
elderly survival in low-mortality populations. In the early stages of demographic transition, a considerable contribution to the increase of life expectancy at birth is given by the great reduction in infant and childhood mortality. On the contrary, whilst as the transition progresses, the most relevant reduction in mortality concerns adult and old ages, which exert only a marginal effect on $e_{0}$. So, when the interest focuses on the analysis of longevity and its evolution, it is a better idea to consider measures that are more sensitive to changes in adult survival, such as late modal age at death and the related indicators (Kannisto, 2001; Cheung et al., 2005; Cheung and Robing, 2007).

Figure 7 shows the evolution in the distribution of deaths, together with some survival indicators, for Emilia Romagna's female population at the beginning and in the middle of the $20^{\text {th }}$ century, and at the beginning of the $21^{\text {st }}$ century. It is possible to appreciate the substantial drop in infant and childhood mortality, and the remarkable increase in the number of deaths among the elderly ( $65+$ ) during the first half of the century. Life expectancy at birth (43.63 years) was very differint from late modal age at death ( 73 years) in 1901, due to the fact that a great amount of deaths (nearly $26 \%$ of the total) were concentrated in the first five years of life. Since then, the reduction in infant and child mortality has narrowed the gap between the two indicators in the mid $20^{\text {th }}$ century; while nowadays this difference is really small and the two indicators tend to evolve in a parallel fashion. Current increases in life expectancy at birth are now mainly due to the great gains achieved in survival among the adult and elderly population. Therefore, late modal age at death becomes a suitable indicator in the analysis of rising longevity.


|  | $e_{0}$ | $M$ | $d(M)$ | $d(0-4)$ | $d(65+)$ |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 1901 | 43.63 | 73 | 2218 | 26924 | 38081 |
| 1961 | 73.91 | 82 | 3964 | 3243 | 80766 |
| 2007 | 84.45 | 88 | 4936 | 329 | 93050 |

Figure 7 - Distribution of life table deaths in 1901, 1961 and 2007 and values of life expectancy $\left(e_{0}\right)$, late modal age at death $(M)$, modal number of deaths $(d(M))$, infant $(d(0-4))$ and elderly $(d(65+))$ deaths in the same years. Emilia Romagna - female.

Modal age is sometimes difficult to be detected due to the irregularities that life table death series $d_{x}$ show near the mode: several distinct maximum points, or a flat-topped peak, may be observed (Cheung and Robine, 2007). As observed by Lexis (1878), the distribution of deaths above the mode can be summarized by the righthand side of a normal distribution. Lexis also suggested that, were it possible to avoid all untimely deaths, the distribution of deaths would follow a normal distribution also for those ages below the mode. It means that if all elderly deaths were "normal" they would be distributed according to "the error law". So, we used a scaled normal model in order to obtain a single estimation of modal
age at death ${ }^{8}$. The estimated modal age at death is shown in Table 4 and Figure 8, together with other indicators related to the mode, chosen to describe the evolution of longevity in Emilia Romagna. These indicators were calculated using the unfitted life table death series $d_{x}$.

Late modal age at death $(M)$ increased steadily and indeed noticeably during the whole period: at the beginning it is equal to 69 years for both genders, while at the end it reaches 86 years for men and 88 for women, with an increase of nearly $25 \%$ and $28 \%$ respectively. Men and women shared a common path in modal age at death growth up until the Second World War. Thereafter the female indicator rose more substantially, reaching and going beyond the threshold of eighty years during the fifties, nearly three decades before the male indicator did.

According to Kannisto (2001), late modal age at death $(M)$ and the standard deviation above it $(S D(M+))$ provide a satisfactory account of adult longevity under a given mortality regime. In Emilia Romagna the standard deviation above the mode decreases steadly in the first decades for both genders, then it follows an unchanging trend in spite of several fluctuations around the value 8 for men, while it tends to decrease after the Second World War for females, reaching values of around 6.5, and showing a different pattern between genders. Finally, for the last year of observation these patterns tend to converge, with a slightly higher value for females than for males.

TABLE 4
Modal age $(M)$, standard deviation above the estimated mode $(S D(M+))$, deaths $d(M)$ and survivors $l(M)$ at modal age

|  | 1871 | 1881 | 1901 | 1911 | 1921 | 1931 | 1936 |
| :--- | ---: | ---: | ---: | ---: | ---: | ---: | ---: |
|  | male |  |  |  |  |  | 76 |
| $M$ | 69 | 70 | 72 | 74 | 74 | 76 | 7.62 |
| $S D(M+)$ | 10.19 | 9.44 | 8.12 | 7.54 | 7.89 | 7.47 | 2883 |
| $d(M)$ | 1266 | 1638 | 2293 | 2579 | 2682 | 2763 | 28912 |
| $l(M)$ | 17065 | 19586 | 24427 | 25159 | 27588 | 26411 |  |
|  | female |  |  |  |  | 76 | 78 |
| $M$ | 69 | 70 | 73 | 74 | 75 | 76 | 7.32 |
| $S D(M+)$ | 10.16 | 9.41 | 7.97 | 8.10 | 8.13 | 8.31 | 3192 |
| $d(M)$ | 1274 | 1587 | 2218 | 2565 | 2795 | 3084 | 30480 |
| $l(M)$ | 17017 | 19243 | 22634 | 27136 | 29637 | 33978 |  |
|  |  |  |  |  |  |  |  |
|  | 1951 | 1961 | 1971 | 1981 | 1991 | 2001 | 2007 |
|  | $m a l e$ |  |  |  |  |  |  |
| $M$ | 78 | 77 | 78 | 78 | 82 | 83 | 8.57 |
| $S D(M+)$ | 7.01 | 8.48 | 8.46 | 8.49 | 7.77 | 7.81 | 4142 |
| $d(M)$ | 3498 | 3423 | 3381 | 3535 | 3485 | 3901 | 34970 |
| $l(M)$ | 31555 | 37560 | 36614 | 39564 | 35328 | 40606 | 349 |
|  | female |  |  |  |  |  |  |
| $M$ | 78 | 82 | 83 | 83 | 87 | 88 | 88 |
| $S D(M+)$ | 8.18 | 7.17 | 6.94 | 7.47 | 6.39 | 6.80 | 6.95 |
| $d(M)$ | 3913 | 3964 | 4242 | 4506 | 4536 | 4646 | 4936 |
| $l(M)$ | 43384 | 36620 | 37713 | 44720 | 38076 | 41664 | 46085 |

[^6]The amount of deaths at modal age $d(M)$, representing the concentration of human lives ending in the single year of age $M$, grew during the observational period: it was approximately equal to 1,400 per 100,000 newborn in 1871 for both genders, and it had reached nearly 4,100 men and 4,900 women by 2007. This progressive concentration of deaths in a single age class does not occur uniformly over the course of time, but it alternates periods of stagnation or reversal with periods of rapid increase. The rise in the number of deaths at modal age is obviously associated to a reduction in the number of individual lives that end before and after this age. During the whole observational period, the most important contribution to the concentration of deaths around the mode was undoubtedly made by the radical reduction in untimely deaths, as witnessed by the increasing number of survivors at modal age $l(M)$, which is equal to deaths over the modal age $M(d(M+))$. The number of survivors at modal age was nearly 17,000 out of 100,000 newborn for both genders, while in 2007 it is about 35,000 for males and approximately 46,000 for females. However, even if the global trend is rising, it is possible to note the swinging evolution of the indicator. So if we compare the continuous increase in the number of deaths gathered at the mode $(\mathrm{d}(M))$ with the number of deaths gathered at and above $M(d(M+))$, we can observe that sometimes individual life durations ending at and above the mode are more compressed.


Figure 8 - Modal age $(M)$, standard deviation above the estimated mode $(S D(M+))$, deaths $d(M)$ and survivors $l(M)$ at modal age.

The number of survivors at modal age also enables us to evaluate the proportion of lives that end under the hypotethical normal curve that can be drawn if the distribution of deaths over the mode is applied on the lefthand side. This percentage represents the so-called lives of full length (LFL) under a given mortality
schedule; this means that the level of mortality in 1871 allowed nearly $34 \%$ of the population to reach a life of full length, while that in 2007 allowed more than $90 \%$ of the female population to live a LFL. So it seems that nowadays female survival has reached optimal standards in Emilia Romagna where nearly the whole population shares a "normal" length of life, while only $10 \%$ of a lifetable's newborns are involved in an untimely death.

Demographers tend to differ on the question of the changes in senescent mortality that are responsible for increasing longevity. The contrasting theories are mainly that of the compression of mortality theory and that of the shifting mortality scenario (Fries, 1980; Myers and Manton, 1984; Kannisto, 1996; Bongaarts, 2005; Canudas-Romo, 2008; Robine et al., 2008). According to the first theory, an increase in late modal age is accompanied by a reduction in the dispersion of individual life durations ending above the mode. This fact means that the individual life durations ending above the mode are compressed into a smaller age range above the mode. On the contrary, increasing values of late modal age associated with no change in the dispersion suggests the shifting mortality scenario, whereby the whole distribution of individual life durations ending above the mode slides proportionally to higher ages.

At a first glance, Emilia Romagna data fail to display the presence of a linear relationship between the steady increase in $M$ and the evolution in $\operatorname{SD}(M+)$. The continous postponement of modal age at death toward higher ages is not always associated with a reduction in the dispersion of deaths over this age, therefore, there are no steady signs that the increase in longevity in the region is always associated with a compression of mortality in a shorter age span. However, by comparing the steady increase in the number of deaths at the mode with the number of deaths gathered at and above it, we have observed that in certain periods, individual life durations ending at and above the mode are compressed to a greater degree.

The observation of the normal death profiles (Figure 9) underlines the previ-ously-shown increase in modal age at death associated with a noteworthy rise in the modal number of deaths. When the modal age at death moves ahead (as happened, for example, between 1981 and 1991 for both genders) it is generally possible to observe a reduction in the standard deviation of deaths above the mode, together with a decrease in the number of survivors that reach the new modal age at death (see Table 4). In the following years, the modal age at death normally remains steady and both the dispersion above the mode and the survivors at modal age grow. It seems that the increase in longevity initially pertains to an élite before subsequently spreading throughout the wider population.

In order to provide a more in-depth analysis of elderly survival increase in the region, we have focused on the female population, with women anticipating their male counterparts in terms of increases in longevity. In the period following the Second World War, when the greatest changes in longevity occurred, we can see two clear increases in modal age at death which divide the evolution of longevity into three distinct steps (Figure 10).


Figure 9 - Distribution of death fitted with a scaled normal distribution (1871-2007).


Figure 10 - Female distribution of death fitted with a scaled normal distribution (1951-2007).

In order to evaluate the evolution of life table death curves and to understand how the mortality law has changed, it is also useful to analyze the trend of the two parameters $\alpha$ and $\beta$ of the logistic function that define $\mu_{\mathrm{x}}$, the force of mortality at each age $x$. The first one, $\alpha$, varies with the level of mortality, while $\beta$ measures the rate of increase in mortality with increasing age (Figure 11).


| Years | alpha | beta |
| :--- | :---: | :---: |
| 1951 | 0.061 | 0.123 |
| 1961 | 0.075 | 0.118 |
| 1971 | 0.036 | 0.125 |
| 1981 | 0.017 | 0.133 |
| 1991 | 0.009 | 0.137 |
| 2001 | 0.006 | 0.138 |
| 2007 | 0.003 | 0.146 |

Figure 11 - Paremeters $a$ and $\beta$ of the logistic model- female (1951-2007).

The level parameter shows a clear downward evolution during the period of observation, with the exception of 1961 . The slope parameter $\beta$ appears less variable and alternates between slowing down, remaining steady and increasing. Dur-
ing those periods in which the level of mortality decreases and the rate of increase grows, we can observe a compression in mortality, while when the slope parameter also decreases, there is an expansion in mortality. Finally, when the level slows down and the slope remains steady we have a shift in mortality.

The first increase in modal age at death occurs between 1951 and 1961, and consists of a gain of four years. The number of deaths at modal age remains steady, while there is an appreciable reduction in the dispersion indicator (see Ta ble 4). The level of mortality increases slightly, while the slope drops down showing a certain degree of expansion in mortality. During the period 1961-1981 the modal age at death does not vary, the parameter $\alpha$ decreases, while $\beta$ grows. This is a period of compression of mortality, with an increasing number of individuals reaching modal age at death (due to the increased avoidance of premature deaths), and where it seems that the growth in life span length has finally ceased. This remains true until the eighties, when modal age at death rises again, amounting to another gain of four years. Between 1981 and 1991 it is possible to observe a clear shift in senescent mortality as suggested by the slow down in the level parameter and by the constancy of the mortality slope value. Finally, the last two decades of the observation period ending in 2007 are characterized by another phase of compression of mortality associated with a further increases in the number of survivors at modal age at death. The reasons for the unique trend are strongly linked with the evolution of mortality by cause, a topic that lies beyond the scope of this paper, but will be the main focus of future study.

In conclusion, the figures for Emilia Romagna seem to show that the recent regional evolution in longevity has not followed one single pattern, but consists of alternate phases, some that conform to compression mortality theory, and others corresponding to the shifting mortality scenario. It is obvious that regional data do not enable us to draw any general conclusions, and it is still not possible to tell whether regional population life length has already reached its maximum limit; only future observations will shed the necessary light on the evolution of this intriguing aspect.

## 4. CONCLUSIONS

This paper merely constitutes a preliminary, albeit essential part, of a larger research project aimed at: a) the definition of some indicators of elderly survival by gender at the regional and provincial levels, that will permit the analysis of longevity evolution in Emilia Romagna and of its territorial distribution; b) the analysis of mortality by cause of death, mortality and morbidity profiles and their recent evolution by age; c) the spatial mapping of longevity linked with the prevailing causes of death.

Starting from the construction of period life tables according to a standardised procedure, the present paper develops three main topics, centred on the first objective of the main research project: a descriptive analysis of the long-term evolution of elderly survival, from the beginning of demographic transition to the pre-
sent day; an in-depth study of the ages that mostly contributed to the increase in survival during the different transitional stages; an investigation of the evolution of longevity.

The study of the evolution of mortality in Emilia Romagna has revealed the remarkable gains achieved by the elderly population, and particularly by females, and has highlighted the presence of better conditions for survival in the region than in the country as a whole over recent decades. The different pattern detected in Emilia Romagna compared to Italy as a whole is a good reason to pursue a better understanding of the overall national situation. Regional studies are particularly important in realities such as the Italian one, where regions are characterized by very different demographic behaviours. It is widely acknowledged that even though regions are exclusively administrative subdivisions of the national territory, regional data can explain the major part of the national variability of demographic phenomena. This fact encourages and underlines the relevance of the development of regional analysis in Italy.

The results we have obtained also suggest that at least in the case of the XIX ${ }^{\text {th }}$ century life tables, a specific in-depth analysis is required in order to test the quality of original data and to study the peculiar pattern of elderly mortality.

The second topic we have focused on has underlined how recent increases in life expectancy at birth have been mostly due to the improvement in survival at adult and old ages as of the 1970s. Once again, female behavior anticipates that of men, even though in the last decade the values for the two genders have tended to move closer together.

Finally, in the third part of the paper we have shown how longevity increased during the period in question. During the years after the Second World War, we also observed that the steady increase in the late modal age at death does not follow one single pattern, but it alternates phases that meet with compression mortality theory, with phases that correspond to the shifting mortality scenario.

As we have already said, the continuation and extension of the research project should be devoted to the study of elderly mortality by cause of death ${ }^{9}$. Figures for the distribution of death by cause and by age at the sub-regional level are only available for the last decades of $20^{\text {th }}$ century onwards. This kind of approach will improve our understanding of the observed survival evolution, and will shed some light on the peculiar aspects of regional mortality profiles by cause.

Although we can not affirm for sure that Emilia Romagna's elderly population will continue to increase in the near future, the great majority of the population in adult ages and the current level of survival would suggest that in the near future local government will continue to face all those problems associated with an ageing population. Such problems as medical expenditure and social welfare services will undoubtedly be of particular importance. Italian welfare is still centred on the role played by families, who are the principal providers of assistance and support to needy household members. Women in particular have always been the princi-

[^7]pal players in this process, due both to their particular devotion to the wellbeing of the family members, and to their relatively scarce partecipation in the labour force. Policy makers have to consider that the number of female workers in Italy is rising nowadays, and will continue to rise in the near future, leaving a growing number of family members without the help they need. This fact is particulary true in Emilia Romagna: an Italian region with one of the highest level of female employment and one of the highest proportions of elderly citizens. Assistance to the elderly has been increasingly provided by immigrant carers who until now have filled the gap between the rising number of eldely people that need care and the paucity of public assistance services. Even if immigrant carers have resolved this crucial problem for the time being, it is hard to say whether the Italian government can continue to avoid the growing demand for public support for families with elderly members.

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## SUMMARY

Evolution of survival at old ages during the $20^{\text {th }}$ Century in Emilia Romagna
The paper presents some preliminary results of a project devoted to the analysis of adult and elderly mortality evolution in a Northern Italian region, Emilia Romagna, during the health transition. Starting from the construction of 14 period life tables (1871-2007) according to a standardised procedure, the paper develops three main topics: a descriptive analysis of the long-term evolution of elderly survival from the beginning of demographic transition to the present day; an in-depth study of those ages that have made the greatest contribution to the increase in survival during the various different transitional stages; an investigation of the evolution of longevity.


[^0]:    ${ }^{1} 1871$ practically constitutes the first date at which it is possible to calculate complete life tables at a national, regional and sub-regional level for Italy.

[^1]:    2 The research project team consist of a broad group of researchers (demographers, statisticians, geneticists), of the Bologna province Statistical Office and of the "Fondazione del Monte di Bologna e Ravenna", the latter of which has granted this study.

[^2]:    ${ }^{3}$ A three-year period average of the number of deaths has been considered.

[^3]:    ${ }^{4}$ A great improvement in data quality is certainly represented by the collection of individual data by 'year of birth', rather than simply by age, introduced at the regional level during the first years after the Second World War.

[^4]:    ${ }^{5}$ The decision to compute life expectancy at $60,70,80$ and 90 years was only one of the possible options available, and was taken in order to focus attention on the "elderly condition" over such a long time-span.
    ${ }^{6}$ Del Panta, Belotti, Calò (2009).

[^5]:    7 When dealing with decomposition methods in life expectancies, our main references are to Pollard's works (1982, 1983, 1988), together with previous and subsequent literature (Arriaga, 1984, United Nations, 1985; Leridon and Toulemon, 1997; Ponnapalli, 2005). We applied different methods that yielded comparable results.

[^6]:    8 In order to estimate the parameters characterizing the scaled normal distribution., a nonlinear least squares method is used from 5 years before the observed modal age at death to the tail of the curve. The choice of setting the regression to start exactly 5 points before the observed mode is motivated from a previus sensitivity analysis showing that this choice generally yields the best model fitting. Indeed, the $\mathrm{R}^{2}$ values vary from a minimum of 0.9853 to a maximum of 0.9997 , showing that the scaled normal models accurately approximate the distributions of observed $d_{x}$.

[^7]:    ${ }^{9}$ A spatial analysis of elderly mortality by cause of death in Emilia Romagna has been performed in Miglio, Marino, Rettaroli, Samoggia (2009, forthcoming).

